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Enhancing statistical inference for stochastic processes using modern statistical methods

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Stochastic processes such as stochastic differential equations (SDEs) and Gaussian processes are used as statistical models in many disciplines. However there are many situations in which a statistical design or inference problem associated with these processes is intractable, and approximations are then required. Traditionally these approximations often come without measures of quality.

We motivate using three examples:

- (i) Approximating intractable likelihoods for SDEs;
- (ii) Using "near-optimal design" to find spatial designs that minimize integrated mean square error;
- (iii) Using well-designed data subsets to enhance stochastic gradient descent (SGD) for big data statistical learning.

We demonstrate approaches to framing such problems from a statistical perspective so that we can probabilistically quantify uncertainties when making approximations. Depending on the problem, we achieve this using a range of modern statistical methods such as Gaussian processes, point processes, sampling theory, sequential design, and quantile regression.